

Laplace

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WRITTEN BY	PIK	April 18, 2022	

REVISION HISTORY

NUMBER	DATE	DESCRIPTION	NAME

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Chapter 1

Laplace

1.1 syntax

```
- Laplace Manual ----- ↩  
  Expression syntax -
```

6) Expression syntax

Besides the usual evaluation of expression, Laplace now offers some programming facilities. The syntax is quite similar to the C language, although there are some differences.

Expressions are separated by semicolons `;`. Expressions can be enclosed in curly braces `{, }`, e.g. to have more than one expression in a while-loop.

Compared to C, Laplace works a bit functional, this means almost every statement gives you a result, even without an assignment, `result(...)` or something similar. The result of an expression block is the last expression. You can also abandon the execution of a block using the `break()`-function; the optional argument is the result of the block.

```
> { pi; 2+3; 3i }  
> => 3i  
> { pi; break(2+3); 3i }  
> => 5
```

```
*  
  Comments
```

```
*  
  Expressions
```

```
*  
  References
```

```
*  
  Types
```

```
*  
  Loops
```

```
*
  Procedures
```

```
*
  Options
```

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1.2 comments

- Laplace Manual ----- Comments -

6.1) Comments

Laplace uses C like comments. Everything enclosed in `/*` and `*/` is simply ignored. Nesting is not allowed, as you know it from any C compiler.

C++ style comments are also recognized. After `//` the rest of the line is ignored (note that this is the only case where Laplace distinguishes between spaces and line breaks).

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1.3 expressions

- Laplace Manual ----- ←
 Expressions -

6.2) Expressions

Expressions are entered in a usual manner, e.g.
`> 1+2/3*(4-2) <return>`

Guess what's the result...

More formally, an correct expression is:

- an object (see
 types
) or
- a reference (see
 references
) or
- an built-in function (see functions) or
- expression binary_operator expression
- unary_operator expression
- expression relation expression

There are the following binary operators:

+	- add	-	- substrac
*	- multiply	/	- divide
^	- power of	\times	cross - vector product
, or	- logical or	! , nor	- logical nor
&&, and	- logical and	!&&, nand	- logical nand
^^	- logical xor	union	- set union
intersect	- set intersect	setminus	- set minus

Note: the vector product \times is not a usual x, and can be entered by alt x ←

Further more, here are the unary operators:

- - negative !, not - logical not

A relations always results in a boolean value (TRUE or FALSE). This is the list of all relations:

== - equal	!= - not equal
< - less than	<= - less or equal
> - greater than	>= - greater or equal

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1.4 references

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References -

6.3) References

If you want to use an result later or just define a variable, write name = expression . This creates an objects that can be referenced by it's name in later(!) entries. If you reference to an object, Laplace searches from the actual entry backwards, thereby you may define an object several times, but only the latest version is used. E.g.

```
> [1] a=1/2 <return>
> [2] 2*a <return>
> => gets a from [1]
> [3] a=a+1 <return>
> => a on the right side references to the definition in [1]
> => and creates a new object called a to be referenced below
> [4] a <return>
> => gets a from [3]
```

If you move back to [2], you still get the same result, because the new a is defined below and cannot be reference from [2].

You may overwrite built-in functions like sin () , exp () etc. and the internal constants e and pi . On the other hand, the following keywords are forbidden: if, else, while, for and all options (names starting with \$).

If Laplace encounters an object name that was not defined earlier, a constant will be automatically created:

```
> f(x) = x^2 <return>
> f(a) <return>
> => a^2
```

This is the same as

```
> f(x) = x^2 <return>
> const a <return>
> f(a) <return>
> => a^2
```

This work only for number constants. If you require e.g. a constant vector object, you have to use the const keyword to declare it.

Generally you should always declare constants with const, otherwise you are in danger that the reference has already been defined (e.g. in a library file) and you get a type error, look at this:

```
> a=[1,2]
> ....
> [thousands of lines...]
> ....
> f(x)=x^2
> f(a)
> => error: Not defined to vectors.
```

Conventions

There are some special conventions for object names. Valid characters are A...Z, Ö, Ä, Ü, a...z, ö, ä, ü, 0...9, @, \$, \$, ', , _ . You may not use a number as the first character.

There are two special characters which may be used: (tilde) and _ (underscore). _ as the first character will create a line above the name, which is often used in mathematics. Inside the name _ will create an index - characters after _ will be used as the index at the bottom of the name. works similar, but creates an index at the top of the name. You can use both kinds of indeces together. E.g. _a, a_1, a 1 or everything at once _a 2_1.

Starting with version 0.3 Laplace support the usage of Greek symbols. If the name or an index matches the name of a Greek letter, then this letter is used to display the variable. Number may follow the letter name. E.g. alpha_beta. A name in lower case represents a small Greek letter; if the first character of the name is uppercase, then you get an big Greek letter. All supported names are :

alpha	Alpha	beta	Beta	chi	Ch
delta	Delta	epsilon	Epsilon	eta	Eta
gamma	Gamma	jota	Jota	kappa	Kappa
lambda	Lambda	my	My	ny	Ny
omega	Omega	omikron	Omikron	phi	Phi
pi	Pi	psi	Psi	rho	Rho
sigma	Sigma	tau	Tau	theta	Theta
xi	Xi	ypsilon	Ypsilon	zeta	Zeta

This list can be configured (see preferences). You can add your own symbols or just use another font for greek letters.

An astonishing new feature is the possibility to use the result of any expression as the reference name or as a part of it. If you enclose an expression in reverse apostrophes ```, it will be evaluated and the result replaces the expression. The only limitation is, that the result must be

- a string that contains only characters that are allowed for identifiers.
- a positive, integer
- empty. In that case there will be simply nothing inserted.

Here is an example of it:

```
> a = 2;
> B_`a` = 1;
> => B_2 = 1
> a = `alpha`;
> B~`a`_`2+3` = 1;
> => B~alpha_5 = 1
> a_0 = 12; a_1 = 5; a_2 = 16;
> for ( i = 0, i < 3, i += 1 ) result( a_`i` );
> => 12
> => 5
> => 16
```

As you can see, you can use an arbitrary number of subexpression in each identifier.

Definition types

There are three difference kinds of definitions:

- Variables - When you reference a variable, it's contents will be inserted. Variable are defined using `name = expression` . E.g.


```
> a=3 <return>
> a+1 <return>
> => 4
```
- Parameters - A reference to a parameter will not be evaluated, it will remain in the result. Use `name := expression` to create a parameter. If you want to get the final result use the `xparam()` function. E.g.


```
> a:=3 <return>
> 2*(a+2) <return>
> => 2*a+4
> xparam(2*(a+2)) <return>
> => 10
```
- Constants have no value, so they won't be evaluate, even with the `xparam()` function. They are defined using the `const` keyword. E.g.


```
> const a <return>
> 2*(a+2) <return>
> => 2*a+4
> xparam(2*(a+2)) <return>
> => 2*a+4
```

You can also define functions. Just enter a argument list embedded in bracket after the object name, e.g.

```
> f(x)=x^3 <return>
> g(x,y):=sqrt(x^2+y^2) <return>
```

When referencing a function you have to specify the arguments to be inserted into the function's expression, e.g.

```
> f(3) <return>
> => 27
> const a <return>
> f(a+1) <return>
> => (a+1)^3
```

It is also possible to omit the arguments; if you do so, Laplace will insert the arguments as they were defined, e.g.

```
> f(x,y) = x^2 + y^2 <return>
> f'(x,y) = derive(f(x,y),x) <return>
> f'(x,y) = derive(f,x) <return>
```

Note that the last two lines are the same, because `f` will be expanded to `f(x,y)`.

Quick arithmetics

Similar to the C language Laplace knows some abbreviations for often used expression. Instead of writing

```
> a = a + 2;
```

you should use

```
> a += 2;
```

This is faster than the first form, because Laplace can make some internal optimizations. This works for the following binary operators:

<code>x += a</code>	<code><=></code>	<code>x = x + a</code>
<code>x -= a</code>	<code><=></code>	<code>x = x - a</code>
<code>x *= a</code>	<code><=></code>	<code>x = x * a</code>
<code>x /= a</code>	<code><=></code>	<code>x = x / a</code>
<code>x = a</code>	<code><=></code>	<code>x = x a</code>
<code>x or= a</code>	<code><=></code>	<code>x = x a</code>
<code>x &&= a</code>	<code><=></code>	<code>x = x && a</code>
<code>x and= a</code>	<code><=></code>	<code>x = x && a</code>

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1.5 types

- Laplace Manual ←

----- Types -

6.4) Types

Each expression has a type. Laplace supports a complex hierarchy of types:

```

invalid
.
identifier
.
object
.
number
.
real
.
integer
.
posinteger
.
neginteger
.
complex
.
tensor
.
vector
.
matrix
.
array
.
boolean
.
string
.
equation
.
interval

```

You can query the type of an object with the `typeof()` function. ↔

It returns

a string with the object's type. To check, if an object is of a given type or a subclass of that type, use `issubtype()`, which returns boolean. The vector `[1,2]` for example has a type of vector, which is a subclass of tensor and object.

```

> v = [1,2]
> typeof(v)
> => "vector"
> issubtype(v, "vector")
> => TRUE
> issubtype(v, "tensor")
> => TRUE
> issubtype(v, "object")
> => TRUE
> issubtype(v, "array")
> => FALSE

```

A variable declaration is a type name followed by the variable's name. Additionally to the type name, you can set some special attributes:

- `const` - A constant object of the given type is created. You cannot assign a value to a constant.

- numeric - not implemented.

Laplace recognizes a declaration, when it encounters a type name or one of the attributes. If you use an attribute, you may omit the type name, which is number by default. Without attributes, you must give the type name, otherwise the declaration won't be recognized.

```
> number a;
> a = 1;
> const vector a;
> const a;
```

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1.6 type-invalid

- Laplace Manual ----- type 'invalid' -

Type invalid

invalid is not a real type, but is assigned to every object that doesn't have a valid type. For example `det(2)` has the type invalid, because you can calculate the determinant only for matrices.

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1.7 type-identifier

- Laplace Manual ----- type 'identifier' -

Type identifier

Currently it doesn't make sense to declare an object of type identifier. But you might get an error message telling you, that a function expected an object of type identifier as an argument, e.g. the `derive()` function, if you only give one argument. This means that you have to pass the name of a previously declared object as the argument.

```
> derive(x^2)
>      => ERROR
> f(x) = x^2
> derive(f)
```

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1.8 type-object

- Laplace Manual ----- type 'object' -

Type object

This is the base type for all usually used types. An expression is either invalid or has a sub type of object.

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1.9 type-number

- Laplace Manual ----- type 'number' -

Type number

These are just numbers as we all know them (or do we know them all?!).

Numbers can be entered in exponential style, which is
 $\{+/-/<nothing>dddd[.dddd][e\{+/-/<nothing>dddd}\}$.

Ufff, but it's quite easy;-) to enter e.g. $6.626 * 10^{(-34)}$ write 6.626e-34. The (whole) number after e is just the exponent. Don't use brackets, if the exponent is negative!

Laplace supports complex numbers. To enter a complex number, simply write something like $1 + 2i$. But they are not fully implemented, e.g. error-distribution doesn't work correctly when you have complex values in your expression and not all functions work with complex arguments.

As long as you enter only whole numbers, Laplace tries to use fractions, so enter 1/2 instead of 0.5 (in this simple case Laplace converts 0.5 to 1/2 itself, but this may not always work). This way you can enter things like 1/7 exactly, and you won't get result which are almost exact zero, when it should be exact ;-)

A fantastic new feature of Laplace is the direct support of Gaussian error-distribution. Now it is possible to enter values with their standard error, do what ever calculations you have to do, and then get the result with the correct error value! This is very useful, if you are calculating with result of some measurements, like I did during my physical practical.

For example, you want to measure the earth acceleration by measuring the falling time of a ball. You measured the falling height to 1.119 meters with a precision of one millimeter and the time to 0.50 seconds with a precision of 1/50 second. Now simply enter:

```
> t=0.50\ensuremath{\pm}0.02
> h=1.119\ensuremath{\pm}0.001
> g=2*s/h^2
```

and that's all!! (Next time you should do it more precisely..)

The $\ensuremath{\pm}$ can be entered by alt-y (on the German keyboard) or ← alt-z (on others).

But you should be aware, that in some cases you might get wrong result, because $10 \pm 1 * 10 \pm 1$ is not the same as 10 ± 1^2 . So, if the same value is used at different places in a formula, it is evaluated as if they had independent error ranges!

The best way to avoid this, is declaring all values with errors as parameters, construct your (possibly big) formula and simplify it, so that every parameter occurs only a single time, e.g.:

```
> x := 10\ensuremath{\pm}1
> y := 12\ensuremath{\pm}2
> a = 3*x^2*y^3
> b = 5*x^3*y^2
> result = a/b
> xparam(result)
```

If you on the other hand have something like this:

```
> x := 10\ensuremath{\pm}1
> result = x/(x+1)
```

you'll get a wrong error value and there is no way to avoid it, sorry.

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1.10 type-real

- Laplace Manual ----- type 'real' -

Type real

real is a sub-type of number, specifying numbers without imaginary part, e.g. 5.34

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1.11 type-integer

- Laplace Manual ----- type 'integer' -

Type integer

integer is a sub-type of real, specifying real, whole numbers, e.g. -3

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1.12 type-posinteger

- Laplace Manual ----- type 'posinteger' -

Type posinteger

posinteger is a sub-type of integer, specifying real, whole numbers bigger than zero, e.g. 7

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1.13 type-neginteger

- Laplace Manual ----- type 'neginteger' -

Type neginteger

neginteger is a sub-type of integer, specifying real, whole numbers smaller than zero, e.g. -9

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1.14 type-complex

- Laplace Manual ----- type 'complex' -

Type complex

complex is a sub-type of number, specifying numbers without real part, e.g. 3.5i

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1.15 type-tensor

- Laplace Manual ----- type 'tensor' -

Type tensor

tensor is the base type for vectors and matrices. A tensor is a orthogonal arrangement of numbers of n dimensions. $n = 1$ is a linear arrangement and therefore a vector. $n = 2$ specifies a square arrangement of numbers and is a matrix.

To access single members of a tensor, write the index in square brackets right after the tensor $T[a,b,\dots]$. The index must have exactly n components, and numbering of the members starts at 1.

You can also access sub-tensors by using intervals in the index. `T[2..4]` constructs a one dimensional tensor from the one dimensional tensor `T` with three members `2, 3, 4`. `T[2..4,2]` is again a one dimensional tensor, this time constructed from a two dimension tensor `T` taking the three members `[2,2], [3,2], [4,2]`. `T[2..4,1..2]` creates a two dimensional tensor with the members `[2,1], [3,1], [4,1], [2,2], [3,2], [4,2]`.

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1.16 type-vector

- Laplace Manual ----- type 'vector' -

Type vector

A vector is a tuple of numbers. To create the vector `(2,4,1)` enter `[2,4,1]`. Any expression can be (of course) a component of a vector.

You can add and multiply (scalar) two vectors, or multiply a number or matrix with a vector (in this order, not `vector*number` !). You get the vector product of two 3-dimensional vector by typing `vector \times vector`. The `\times` \leftrightarrow is not an ordinary `x`, but can be entered by `alt-x` (on the German keyboard and probably all others, too).

To access the `n`-th member of a vector `v` (which can be any expression that evaluates into a vector), append the index in square brackets `v[n]`. The first member has the index one.

You can also use an interval `a..b` as the index, extracting a vector with the members `a` to `b`. `-infty` as the lower limit is replaced by `1`, while `infty` as the upper limit is replaced by the dimension of the vector. This way `v[2..]` will replicate the vector `v` without the first element.

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1.17 type-matrix

- Laplace Manual ----- type 'matrix' -

Type matrix

The matrix with the row vectors `(1,2,3), (4,5,6)` and `(7,8,9)` can be created with `[1,2,3;4,5,6;7,8,9]`. If you have column vector in mind, use `[1,4,7;2,5,8;3,6,9]!` instead (append an exclamation mark).

You can add and multiply two matrices, or multiply a number and a matrix (in this order, not `matrix*number` !).

To access the element in the `n`-th row and `m`-th column of a matrix `M`

(which can be any expression that evaluates into a matrix), append the indices in square brackets `M[n,m]` . The first row/column has the index one.

By using an interval in the index, you can access row or column vectors of the matrix: `M[n,..]` extracts the `n`-th row into a vector, while `M[..,m]` composes a vector out of the `m`-th column. The resulting vectors are always column vectors.

With two intervals you can extract a sub-matrix, e.g. to get the matrix `N` from a matrix `M` , leaving out the first row and the first column, write `N = M[2..,2..]` .

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1.18 type-array

- Laplace Manual ----- type 'array' -

Type array

To create a array use the `array()` command.

A array is a collection of objects of the any type. Members can occur multiple times in an array.

If you calculate with array, all operations (except those affecting the array directly) are applied to all members of the array, e.g.

```
> A=array(1,2,3) <return>
> A+2 <return>
>     => {3,4,5}
```

The function `count()` returns the number of members in an array. To access the `n`-th member of an array `A` (which can be any expression, which evaluates to an array), write the index in square brackets right after the array: `A[n]` . The first member has the index 1. If you use an interval `a..b` as the index, this creates a new array with the members, taking the members `a` to `b` from `A` .

```
> A=array(5,7,12,7) <return>
> A[1] <return>
>     => 5
> (2*A)[2] <return>
>     => 14
> A[2..3] <return>
>     => [7,12]
```

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1.19 type-boolean

- Laplace Manual ----- type 'boolean' -

Type boolean

A boolean object can only contain the two values TRUE and FALSE.

Possible operation for boolean objects are: && (and), || (or), !&& (nand),
!|| (nor), ^^ (xor) and ! (not).

```
> a=TRUE
> b=FALSE
> c=TRUE
> a && (b || !c)
```

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1.20 type-string

- Laplace Manual ----- type 'string' -

Type string

Strings are surrounded by double quotes ".

Similar to strings in C, you can use the backslash @\ as an escape ↔
character
to insert special characters to a string:

- \" - add a double quote (otherwise you'd get problems with the sur-
rounding quotes!).
- \n - add a new line (ASCII code 10).
- \\ - the backslash itself.

To concatenate two strings, simply add them:

```
> " Hi " + " there!"
> => " Hi there!"
```

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1.21 type-equation

- Laplace Manual ----- type 'equation' -

Type equation

An equation is created by the =? operator.

```
> E= 2*x+4 =? 0 <return>
```

To access the left or right hand side of a given equation, use the func-

```
tions lhs() or rhs().
> lhs(E) <return>
>   => 2*x+4
> rhs(E) <return>
>   => 0
```

You can of course calculate with equations. The operations will be applied on both side of the equation.

```
> E= 2*x+4 =? 0
> E= E-4
> E= E/2
```

You can also apply functions like `sin()`, `exp()`... on equations, e.g.

```
> E= ln(x) =? 12*e <return>
> E=exp(E) <return>
```

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1.22 type-range

- Laplace Manual ----- type 'interval' -

Type interval

An interval is a range of values, starting at `a`, ending at `b`, and is defined by `a..b`. `a` and `b` can usually be any number, but there are restrictions depending on the context the interval is used for. In most cases, `a` and `b` have to be real numbers with `a < b`.

You may omit the lower and/or upper limit of the range, which is then replaced by `-infty` respectively `infty`.

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1.23 loops

- Laplace Manual ----- Loops -

6.5) Loops

In contrast to most other statements, the loops won't return a result.

You can always interrupt the loop using the `break()` function.

the while-statement

The statement or the block of statements following the `while` keyword is executed as long as the argument evaluates to the boolean `TRUE`.

```
> a = 0; b = 0;
> while ( a < 10 )
```

```
> {
>   a += 1;
>   b += irandom(10);
> }
```

the for-statement

The for-loop is very close to the C for-loop: the first argument is evaluated before the loop is started, the second one is a condition that is checked at the beginning of the loop and the third argument is evaluated at the end of the loop.

```
> b = 0;
> for ( a = 0; a < 10; a += 1 )
>   b += irandom(10);
```

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1.24 conditionals

- Laplace Manual ----- Conditionals -

6.6) Conditionals

The if-condition works exactly the way you expect it to do: if the condition is TRUE the first statement or statement block is executed, otherwise the else-statement is executed, if there is one.

```
> if ( a > 5 )
> {
>   b += 10;
>   c -= sin(b);
> }
> else
>   b -= 10;
```

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1.25 procedures

- Laplace Manual ----- Procedures -

6.7) Procedures

The ability to create procedures is the most powerful invention of V0.8.

The syntax for creating a procedure is now very similar to the syntax of the C language: The return type of the procedure, followed by an identifier with optional arguments and then a statement block:

```
> number foobar(number a)
> {
>   if ( a > 0 )
```

```

>     return(-1);
>     else
>     return(1);
> }

```

As you can see, the `return()`-functions, aborts the procedure and returns the optional argument as the result of the procedure. If you omit the `return()` command, and the procedure reaches the end of the statement block, the result of the last expression is returned.

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1.26 options

- Laplace Manual ----- Options -

6.8) Options

There are some options to influence to calculation or presentation of expressions. They can be used like any other reference, but they all start with a \$ (dollar sign). You can assign a new value to it, just by typing e.g.

```

> $dispprec = 6
> a = 3
> $dispprec = 2*a

```

or you can query the current value:

```

> a = $dispprec
> => 6

```

As always, Laplace searches backwards until it finds an option, this way setting an option will not influence the lines above. If no explicit assignment has been done, the default value is used.

These are the keyword:

.

- `$convprec` - Default: 14 - Possible value: 1..20. Laplace tries to convert floatpoints into fractions whenever possible. But the floatpoint routines are not too exact, so there might be a small difference to the correct value (e.g. 1.2000000000000001 when it should be 1.2). If the difference is smaller than the specified precision (precision 12 means 10^{-12}), Laplace assumes the value as a fraction and converts it (in this case to $6/5$). This is not applied to value near zero, so $1e-30$ won't be converted to 0.
- `$dispexp` - Default: 6 - Possible value: 1..12. Select number of digits to be displayed before switching to exponential display.
- `$dispprec` - Default: 6 - Possible value: 1..15. Select maximum number of decimal digits to be displayed.
- `$iref` - Default: TRUE - Possible value: TRUE, FALSE. The usage of the single letter i as a reference name can be somehow confusing. If you are

working with complex numbers, you probably mean i as $\sqrt{-1}$, but in other cases you use i as an index variable or something like that.

If you set `$iref` to `TRUE`, i always stands for an reference, and you have to enter `1i` to get the complex number. Otherwise i means `1i` and there is no way to enter a reference called i . (Actually there is one: `"i"`, but this is a quite difficult way to enter a single letter...)

- `$simplify` - Default: `TRUE` - Possible value: `TRUE`, `FALSE`. Enable/Disable simplification pass. Without simplification, the calculation will be faster, but the result might look quite ugly.
- `$stranspose` - Default: `FALSE` - Possible value: `TRUE`, `FALSE`. A matrix is usually entered ordered by rows, similar to programs like MAPLE or MATLAB. If you prefer column vectors, set this option to `TRUE`.
This option can be overwritten by entering `[..]~` (always use row-order) or `[..]!` (always use column-order).
- `$useerror` - Default: `TRUE` - Possible value: `TRUE`, `FALSE`. If set to `FALSE`, Laplace will not use and display error ranges.
- `$usefloat` - Default: `FALSE` - Possible value: `TRUE`, `FALSE`. If set to `TRUE`, Laplace will always use floatpoints and never converts them to fractions.

For example:

```
> $usefloat = FALSE
> sin(2)
> => sin(2)
> $usefloat = TRUE
> $dispprec = 5
> sin(2)
> => 0.9093
> $dispprec = 8
> sin(2)
> => 0.90929743
> a=12000.3
> $dispexp = 3
> a
> => 1.20003*10^ 4
> $dispexp = 6
> a
> => 12000.3
```